

## Effective Annual Rate of Interest

- this is mainly used in perpetuities → but can be asked to find the effective annual rate of interest.

$$I_e = \left(1 + \frac{i}{n}\right)^n - 1$$

$i$  = interest rate as a decimal

$n$  = number of compounding periods per year

• look at Qs 1 & 2 in exercise 3B (unit 4)

## Annuity

- a compound interest investment where regular payments can be made for a fixed period of time.

- think about when you retire, investing in a sum of money, and finding payments that will last for a certain period of time.

**\* Reminder \***

what to put in calc-financial. is it positive or negative?

• Loans

$$PV = + \quad PMT = - \quad FV = 0$$

• Investments

$$PV = - \quad PMT = - \quad FV = +$$

• Annuities

$$PV = - \quad PMT = + \quad FV = 0$$

## Perpetuities

- put simply, having money / income forever

↳ because the amount of interest earned on the investment = what you want to be paid

$$Q = PE$$

$Q$  = annual withdrawal amount

$P$  = principal     $E$  = effective annual rate of interest

• e.g. Person wishes to invest a sum of money into an account paying 7.5% interest compounded monthly so that every year thereafter \$600 can be made available.

1st - find  $i_e$ .

$$\left(1 + \frac{0.075}{12}\right)^{12} - 1$$

$$= 0.07763259886$$

$$600 = P \times 0.07763259886$$

$$600 / 0.07763259886$$

$$= 7728.712021$$

≈ \$7728.71 must be invested.